

**AKSIOME BULOVE ALGEBRE**  $\mathcal{B} = (B, +, \cdot, ', 0, 1)$ :

**BA1:** komutativnost

$$a + b = b + a, \quad a \cdot b = b \cdot a;$$

**BA2:** distributivnost

$$a \cdot (b + c) = a \cdot b + a \cdot c, \quad a + (b \cdot c) = (a + b) \cdot (a + c);$$

**BA3:** neutralni element

$$a + 0 = a, \quad a \cdot 1 = a;$$

**BA4:** inverzni element (komplement)

$$a + a' = 1, \quad a \cdot a' = 0.$$

**OSNOVNE TEOREME BULOVE ALGEBRE**  $\mathcal{B} = (B, +, \cdot, ', 0, 1)$ :

**BT1:** zakon idempotentnosti

$$a + a = a, \quad a \cdot a = a;$$

**BT2:** ograničenost

$$a + 1 = 1, \quad a \cdot 0 = 0;$$

**BT3:** apsorbacija

$$a + a \cdot b = a, \quad a \cdot (a + b) = a;$$

**BT4:**

$$a + a' \cdot b = a + b, \quad a \cdot (a' + b) = a \cdot b;$$

**BT5:** asocijativnost

$$(a + b) + c = a + (b + c), \quad (a \cdot b) \cdot c = a \cdot (b \cdot c);$$

**BT6:** jedinstvenost komplementa

$$(a + x = 1 \wedge a \cdot x = 0) \implies x = a';$$

**BT7:** involucja

$$(a')' = a;$$

**BT8:**

$$0' = 1, \quad 1' = 0;$$

**BT9:** De Morganovi zakoni

$$(a + b)' = a' \cdot b', \quad (a \cdot b)' = a' + b'.$$